

## DEFLECTION OF LIGHT BASED ON THE KALUZA–KLEIN THEORY IN THE PRESENCE OF DECAYING DARK ENERGY

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*For a proposed model of decaying dark energy the deflection of light in spherically-symmetric static Gross–Perry spacetime and in Kerr–Taub–Bolt spacetime is considered. Estimates are given for the variation of the standard deflection of light in the field of the Sun.*

**Keywords:** fifth dimension, decaying dark energy, variable mass, deflection of a beam of light, metric of spacetime, decay constant.

### INTRODUCTION

Previous papers [1, 2] investigated the deflection of light in the presence of a potential function and an electromagnetic field within the framework of Kaluza–Klein theory in the absence of the proposed model of decaying dark energy. In the proposed model, a parameter  $B^*$  is defined, which has an influence on the deflection of light:  $|B^*| = \mu\lambda/cn$ , where  $\lambda$  is the dark energy scale [3],  $c$  is the velocity of light,  $n = 0.7/0.3$  is the ratio of the density of dark energy  $\Omega_{DE}$  to the density of dark matter  $\Omega_{DM}$  in the Universe,  $\mu$  is the decay constant of the proposed model of dark energy corresponding to the well-known physical mechanism of energy decay via spontaneous decay of *atomic nuclei*:  $(dm/dt)/m = -\mu = \text{const}$  is the decay constant, and

$$m / m_0 = e^{-\mu t_i} \quad (1)$$

in the given case of hypothetical quasiparticles held together by gluon forces and entering into a substance oscillating with an initial frequency of  $10^{12}$  Hz [4], their total rest mass is less than the rest mass of the dark energy. The range of the parameter  $\mu$  depends on the time  $t_i$  of spontaneous decay of the particles; toward this end, we estimate  $\mu$  for a chosen mass ratio [1]:

$$m_k / m_0 = (\rho_{DE} / \rho_{DE0})_k (\lambda_k / \lambda^*)^3 = e^{-\mu t_i}, \quad (2)$$

$\mu = -[\ln(\rho_{DE}/\rho_{DE0})_k (\lambda_k/\lambda^*)^3]/t_i$ . Here, for cosmological time  $t_k = 0.961 \cdot 10^{12}$  s  $\rho_{DE}/\rho_{DE0} = 0.5727$ ,  $\lambda^* = 0.0085$  cm, and  $\lambda_k = 0.0040$  cm [3, 5, 6]; thus,  $\mu = 2.8187 / t_i$ . For example, for a decaying fermion ( $\tau$ -lepton) with mass  $1776.8$  MeV/ $c^2$  [7] the time  $t_i$  is equal to  $2.9 \cdot 10^{-13}$  s, and  $\mu = 9.7 \cdot 10^{12}$ ; for the top-quark model, the time  $t_i$  is equal to  $\approx 5 \cdot 10^{-25}$  s; thus  $\mu \approx 5.6 \cdot 10^{24}$ . In the general case of the interaction time for spontaneous and induced decay, the constant  $\mu$  should probably be determined from the results of experiments at CERN and by observers on the Spektr–Rentgen–Gamma orbital observatory, and also by theoretical studies. Next, from [3], taking the parameter  $n$  into account, by definition we write

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